

A Non-interactive Deniable Authentication Scheme in the Standard Model

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Abstract: Deniable authentication protocols enable a sender to authenticate a message to a receiver such that the receiver is unable to prove the identity of the sender to a third party. In contrast to interactive schemes, non-interactive deniable authentication schemes improve communication efficiency. Currently, several non-interactive deniable authentication schemes have been proposed with provable security in the random oracle model. In this paper, we study the problem of constructing non-interactive deniable authentication scheme secure in the standard model without bilinear groups. An efficient non-interactive deniable authentication scheme is presented by combining the Diffie-Hellman key exchange protocol with authenticated encryption schemes. We prove the security of our scheme by sequences of games and show that the computational cost of our construction can be dramatically reduced by applying pre-computation technique.

Keywords: Authenticated Encryption, Deniable Authentication, Diffie-Hellman Key Exchange

1. Introduction

One of the main fields of interest in cryptography is the design and analysis of authentication schemes. Deniable authentication schemes enable a sender to authenticate a message to a receiver such that the specified receiver is unable to prove to a third party that the message is authenticated by the sender. Vaudenay [1] also study the deniability problem in the RFID setting to protect prover's privacy against a verifier such that a prover can deny that it is authenticated by a verifier.

The concept of deniable authentication was initially developed by Dwork et al. [2] based on concurrent zero-knowledge proof. But their scheme required a timing constraint on the network and the proof of knowledge was rather time-consuming. Another deniable authentication protocol was developed independently by Aumann and Rabin [3] under the factoring assumption. Later, Deng [4] proposed two deniable authentication schemes based on the factoring problem and the discrete logarithm problem respectively. Fan [5] proposed a simple deniable authentication protocol based

on the Diffie-Hellman key exchange protocol. But the schemes [4, 5] did not provide formal analysis and were broken or improved in [6, 7]. Raimondo et al. [8] considered new approaches for deniable authentication while providing guaranteed provable-security. They [8] extended the ideas from authenticated key exchange protocols [9] to the setting of deniable authentication protocols. Li et al. [10] designed an identity-based deniable authentication with fast batch verification, which makes their scheme suitable for ad hoc network applications. Though they proved security of the proposed scheme in the random oracle model, key escrow problems are inherent part of identity-based schemes. Jiang [11] presented a timing encryption scheme that can be used as a building block to construct a deniable key exchange protocol.

Some of the above-mentioned deniable authentication protocols are interactive protocols. To reduce the communication cost, several non-interactive deniable authentication schemes have been proposed [12, 13, 14, 15]. Nevertheless, these non-interactive schemes did not present a rigorous security model to specify adversary's capabilities and goal. So they can only provide a weak security guarantee.

For example, an improved scheme was proposed in [16] to correct a security flaw in [14]. Later, Arshad et al. [17] further analyzed the weakness of the schemes [14, 16]. Tian et al. [18] also demonstrated a Byzantine attack to the scheme [7] and presented methods to solve this issue.

Later, Wang et al. [19] presented a formal model for deniable authentication based on the security model for traditional authentication schemes [20]. They also designed a non-interactive deniable authentication scheme based on designated verifier proofs [21] and proved their scheme to be secure under the DDH assumption. Recently, Youn et al. [22] presented a more efficient non-interactive deniable authentication scheme based on trapdoor commitment, which is proved to be secure under the security model in [19].

However, [19, 22] proved security in the random oracle model. In cryptography, the random oracle model is a useful tool to prove the security of cryptographic schemes. However, such kind of security proof relies on the existence of random functions (that is, cryptographic hash functions replaced by elaborately designed random oracles). There are examples of schemes which are secure in the random oracle model but are vulnerable to attacks when the random oracle is replaced by cryptographic hash functions [23, 24]. So it is desirable to design cryptographic schemes in the standard model, in which the adversary is only limited by the amount of time and computational power available.

Susilo et al. [25] provided generic constructions for non-interactive deniable ring authentication via ring signature and chameleon hash function. Strictly speaking, a 2-user ring signature schemes is sufficient for their construction to yield a deniable authentication scheme. However, the existing 2-user ring signature schemes in the standard model are built upon bilinear groups such that they are rather costly to be implemented. For instance, the 2-user ring signature schemes mentioned in [26] and the scheme in [27] require at least 3 pairing operations for verification. As pairing operations require more computational cost than exponentiation operations, it is natural to ask whether we can obtain a more efficient deniable authentication scheme such that the underlying primitives can be instantiated without relying on random oracle as well as bilinear groups. In addition, the use of chameleon hash function in their construction may induce additional computational and communication cost.

The goal of this paper is to design efficient non-interactive deniable authentication schemes in the standard model without bilinear groups. At first, we provide a generic construction for deniable authentication such that the deniability is based on the Diffie-Hellman key exchange protocol. Subsequently, we prove that our construction is secure against impersonation attack the security model in [19] in the standard model by sequences of games. To prove the unforgeability of our construction, we make use of the notion of integrity of plaintexts from authenticated symmetric encryption. Finally we compare the efficiency with other non-interactive deniable authentication schemes with provable-security in the random oracle model. The result shows that the performance of our construction is comparable

to those non-interactive schemes in terms of the computational cost.

2. Preliminaries

We denote by k a security parameter. If A is a randomized algorithm, then $y \leftarrow A(x_1, x_2, \dots; r)$ means that A has input x_1, x_2, \dots and random coins r , and the output of A is assigned to y . The notation $x \leftarrow_R S$ means "the element x is chosen with uniform probability from the set S ".

2.1. DDH Assumption

Let $\mathbb{G} = \{G_k\}_k$ be a family of groups where G_k has prime order $2^{k-1} < q_k < 2^k$. Given random generators g_1, g_2 of G_k , consider the following distributions:

$$DH_k = \{(g_1, g_2, g_1^r, g_2^r) \mid r \leftarrow_R Z_{q_k}\}$$

$Rand_k = \{(g_1, g_2, g_1^r, g_2^r)\}$ For an adversary A , its distinguishing advantage is defined as follows:

$$Adv_{A, G_k}^{DDH} = |\Pr_{\tau \leftarrow_R DH_k} [A(\tau) = 1] - \Pr_{\tau \leftarrow_R Rand_k} [A(\tau) = 1]|$$

where τ is of the form (g_1, g_2, u_1, u_2) .

DDH assumption holds over $\mathbb{G} = \{G_k\}_k$ if for all PPT (probabilistic polynomial-time) adversary A , Adv_{A, G_k}^{DDH} is negligible.

2.2. Key Derivation Function

A key derivation function KDF is defined as follows:

$$KDF : Dom \rightarrow \{0, 1\}^k$$

For an adversary A , its distinguishing advantage is:

$$Adv_A^{KDF} = |\Pr_{x \leftarrow_R Dom} [A(KDF(x)) = 1] - \Pr_{k_1 \leftarrow_R \{0, 1\}^k} [A(k_1) = 1]|$$

KDF is a secure if for all PPT adversary A , Adv_A^{KDF} is negligible.

2.3. Integrity of Plaintexts

Let $SE = (E, D)$ be a symmetric encryption scheme. A game $Exp_{SE}^{PTXT}(k)$ [28] between an adversary A and a game challenger S is defined as follows:

- 1) S picks an encryption key $ek \leftarrow_R \{0, 1\}^k$ and a set EQ which is initialized to empty;
- 2) An encryption query M_i issued by the adversary A is handled as follows:
 S computes $C_i \leftarrow E_{ek}(M_i)$ and sets $EQ \leftarrow EQ \cup M_i$. Then C_i is returned to A ;
- 3) Finally A outputs a ciphertext C^* .

Let $M^* = D_{ek}(C^*)$. If $M^* \neq \perp$ and $M^* \notin EQ$, then A wins the game.

The advantage Adv_A^{PTXT} of the adversary A in this game is defined to be the probability that A wins the game. A symmetric encryption scheme provides integrity of plaintexts (INT-PTXT secure) if for all PPT adversary A , the advantage Adv_A^{PTXT} is negligible. Bellare [9] demonstrated that the property of integrity of plaintexts can be achieved by applying the Encrypt-and-MAC composition transformation to a symmetric encryption scheme and a MAC scheme.

2.4. One-Time Secure Signature

A signature scheme consists of the following algorithms:

1) *Gen* (Key generation): takes as input the security parameter k and outputs a public key pk and a matching secret key sk .

2) *Sign* (Signing): takes the secret key sk and a message M as input and outputs a signature by computing $\sigma \leftarrow \text{Sign}(sk, M)$.

3) *Vrfy* (Verification): takes as input a public key pk , a message M and a signature σ . outputs 1 if $\text{Vrfy}(pk, \sigma, M)$ is valid and 0 otherwise.

Then we consider the following game $\text{Exp}_{sig}^{1CMA}(k)$ between an adversary A and a challenger S :

1) S runs $\text{Gen}(1^k)$ to obtain the key pair pk, sk .

2) A is given pk and is allowed to issue a signature query M only once. Then S returns $\sigma \leftarrow \text{Sign}(sk, M)$ to A .

3) A outputs (M^*, σ^*) .

A wins the game if $\text{Vrfy}(M^*, \sigma^*) = 1 \wedge M^* \neq M$.

A signature scheme is existentially unforgeable under a one-time chosen message attack if for all PPT adversary A , the success probability Adv_A^{1CMA} is negligible.

2.5. Groth's One-Time Secure Signature

Given a group G of order q with generator g and a hash function $H: \{0, 1\}^* \rightarrow Z_q$, we now describe a one-time signature scheme from Groth [29] whose security is proved in the standard model.

1) Key generation: Picks $x, y \in Z_q^*$ and sets $f = g^x$ and $h = g^y$. Then picks $r, s \in Z_q$ and sets $c = f^r h^s$. The public key is $pk = (f, h, c)$ and the secret key is $sk = (x, y, r, s)$.

2) Sign: To sign a message $M \in \{0, 1\}^*$, picks $t \leftarrow_R Z_q$. The signature is $\sigma = (t, (x(r-t) + y \cdot s - H(m)) / y)$.

3) Verification: To verify the signature $\sigma = (t, w)$, checks that $c = g^{H(m)} f^t h^w$.

3. Deniable Authentication

3.1. Syntax of Deniable Authentication

A non-interactive deniable authentication scheme consists

of the following algorithms [19]:

1) Setup: Given a security parameter k , generates common system parameters cps .

2) KeyGen: Given cps , generates a public key pk and a matching secret key sk .

3) P: Given a message M , the prover runs $P(pk_v, sk_p, M)$ to generate an authenticator $Auth$, where pk_v is the public key of the verifier, sk_p is the secret key of the prover. Then the prover sends $M \parallel Auth$ to the verifier. The conversation transcript C is defined to be $M \parallel Auth$.

4) V: Given the transcript C , the verifier runs $V(M \parallel Auth, sk_v, pk_p)$ to output a decision bit $d \in \{0, 1\}$. $d = 1$ means that the verifier accepts.

5) Sim: Given the prover's public key pk_p and the verifier's secret key sk_v , the simulation algorithm Sim generates a simulated authenticator $Auth \leftarrow Sim(pk_p, sk_v, M)$.

Correctness: For all $cps \leftarrow \text{Setup}(1^k)$, $(pk, sk) \leftarrow \text{KeyGen}(cps)$, we require perfect consistency, meaning that: $\Pr[d = 1 : [d \leftarrow V(M \parallel Auth, sk_v, pk_p)]] = 1$ where $Auth \leftarrow P(pk_p, sk_p, M)$.

3.2. Security Model for Deniable Authentication Schemes

a). Unforgeability

Let $\text{NDI} = (\text{Setup}, P, V, \text{Sim})$ be a non-interactive deniable authentication scheme. Consider the following game $\text{Exp}_{\text{NDI}, A}^{\text{imp}}(k)$ between an adversary A and a challenger S [19]:

Stage 1: S runs $cps \leftarrow \text{Setup}(1^k)$, and $\text{KeyGen}(cps)$ to obtain the prover and verifier key pairs (pk_p, sk_p) , (pk_v, sk_v) respectively. An empty set Res is also created, which is used to store Conv queries issued by the adversary. Then A is provided with the public keys (pk_p, pk_v) .

Stage 2: S answers each Conv query issued by A :

Given a message M chosen by A , S sets the state of the prover algorithm to $St_p = (pk_p, sk_p)$. Then S provides A with $Auth \leftarrow P(St_p, M)$ and sets $\text{Res} \leftarrow \text{Res} \cup \{M\}$.

Output: Eventually, A outputs St_A , which represents knowledge gained by A during stage 2. If the following conditions hold, the output of the game is set to 1 to indicate that A wins the game and 0 otherwise:

1) $(M^*, Auth^*) \leftarrow A(St_A)$;

2) $d^* \leftarrow V(M^*, Auth^*, sk_v, pk_p)$;

3) $d^* = 1 \wedge M^* \notin \text{Res}$.

where $(M^*, Auth^*)$ denotes the final output of the adversary A .

The advantage of A in this game is defined as $Adv_{\text{NDI}, A}^{\text{imp}}(k) = \Pr[\text{Exp}_{\text{NDI}, A}^{\text{imp}}(k) = 1]$. NDI is secure against

impersonation attack if $\text{Adv}_{\text{NDI,A}}^{\text{imp}}(k)$ is negligible.

b). Deniability

Consider the following game $\text{Exp}_{\text{NDI,D}}^{\text{Den}}(k)$ between a distinguisher D and a game challenger S [19].

Stage 1: S runs $\text{cps} \leftarrow \text{Setup}(1^k)$, and $\text{KeyGen}(\text{cps})$ to obtain the prover and verifier key pairs (pk_p, sk_p) , (pk_v, sk_v) respectively. Two empty set Res and $\overline{\text{Res}}$ are created. Then D is provided with the public keys (pk_p, pk_v) .

Stage 2: The distinguisher D makes the following queries:

1) $\overline{\text{Conv}}$ queries: Given a message M chosen by D , S sets the state of the prover algorithm to $St_p = (pk_v, sk_p)$. Then S provides D with $\text{Auth} \leftarrow P(St_p, M)$ and sets $\text{Res} \leftarrow \text{Res} \cup \{M\}$.

2) $\overline{\text{Conv}}$ queries: Given a message M chosen by D , S sets the input of the simulation algorithm Sim to $St = (pk_p, sk_v)$. Then S provides D with $\text{Auth} \leftarrow \text{Sim}(St, M)$ and sets $\overline{\text{Res}} \leftarrow \overline{\text{Res}} \cup \{M\}$.

Challenge: Once D decides that Stage 2 is over, D picks a message M^* such that M^* has not been submitted as one of the $\overline{\text{Conv}}$ queries or $\overline{\text{Conv}}$ queries. Then S picks a random bit $b \in \{0,1\}$. If $b=0$, S generates a real transcript C and returns it to D . Otherwise, S generates a simulated transcript \overline{C} and returns it to D .

Guess: Finally, D outputs a bit b' . If $b' = b$, the output of the game is set to 1 to indicate that D wins the game and 0 otherwise.

The advantage of D in this game is defined as $\text{Adv}_{\text{NDI,D}}^{\text{Den}}(k) = \Pr[\text{Exp}_{\text{NDI,D}}^{\text{Den}}(k) = 1]$. NDI is deniable if $\text{Adv}_{\text{NDI,D}}^{\text{Den}}(k)$ is negligible for every PPT distinguisher D .

4. Our Scheme

Our scheme consists of the following algorithms:

1) *Setup:* Let G be a multiplicative cyclic group generated by g with prime order q , $2^{k-1} < q < 2^k$, where k is a security parameter. Then choose a key derivation function $KDF: G \rightarrow \{0,1\}^k$, a symmetric encryption scheme $SE = (E, D)$ and a one-time secure signature scheme $(Gen, Sign, Vrfy)$.

2) *KeyGen:* Picks $x_U \leftarrow_R Z_q$. The public key pk_U of a user U is g^{x_U} and the secret key is x_U .

3) *P:* Given a message M and the public key g^{x_v} of a verifier VU , the prover PU proceeds as follows:

$vk = (g^{x_p})^{x_v}$, $dk = KDF(vk)$, $(pk^l, sk^l) \leftarrow Gen(1^k)$,

$e = E_{dk}(pk^l)$, $t = Sign(sk^l, M)$, where x_p, x_v denotes the secret keys of the prover PU and the verifier VU respectively.

Finally, the prover PU sends the authenticator $\text{Auth} = (e, t)$ and the message M to the verifier VU .

4) *V:* Having received the authenticator $\text{Auth} = (e, t)$ and the message M , the verifier VU proceeds as follows:

$vk = (g^{x_p})^{x_v}$, $dk = KDF(vk)$, $pk^l \leftarrow D_{dk}(e)$

If $pk = \perp$ or $Vrfy_{pk^l}(M, t) \neq 1$, then output 0.

Otherwise output 1 to accept the signature. The correctness of our scheme is obvious.

5) *Sim:* Given the public key g^{x_p} of the prover, it is obvious that the verifier is able to simulate the identically distributed authenticators by computing the trapdoor $(g^{x_p})^{x_v}$.

5. Security Analysis

Theorem 1: Assume that (1) DDH assumption hold over group G with prime order q ; (2) KDF is a secure key derivation function; (3) $SE = (E, D)$ is a INT-PTXT secure symmetric encryption scheme; (4) $(Gen, Sign, Vrfy)$ is a signature scheme secure under one-time chosen message attack. Then our non-interactive deniable authentication scheme is unforgeable.

Proof: Game 0 is exactly the game $\text{Exp}_{\text{NDI,A}}^{\text{imp}}(k)$ used to define unforgeability of non-interactive deniable authentication schemes. Then we prove theorem 1 by using a sequence of games. We define X_i to be the event that A wins in Game i . We only list some useful lemmas below in this conference version.

Lemma 1: There exists an efficient adversary A_1 such that

$$|\Pr[X_0] - \Pr[X_1]| \leq \text{Adv}_{A,G}^{\text{DDH}}(k) \quad (1)$$

Lemma 2: There exists an efficient adversary A_2 such that

$$|\Pr[X_1] - \Pr[X_2]| \leq \text{Adv}_{A_2}^{\text{KDF}}(k) \quad (2)$$

Lemma 3: There exists an efficient adversary A_3 such that

$$\Pr[X_2 | \text{Reuse}] \cdot \frac{1}{Q} \leq \text{Adv}_{A_3}^{\text{ICMA}}(k) \quad (3)$$

Lemma 4: There exists an efficient adversary A_4 such that

$$\Pr[X_2 | \overline{\text{Reuse}}] \leq \text{Adv}_{A_4}^{\text{PTXT}}(k) \quad (4)$$

By combining the above results, we have:

$$\text{Adv}_{\text{NDI,A}}^{\text{imp}}(k) \leq \text{Adv}_{A_1,G}^{\text{DDH}}(k) + \text{Adv}_{A_2}^{\text{KDF}}(k) + \alpha(k) \quad \text{where}$$

$$\alpha(k) = \max(Q \cdot \text{Adv}_{A_3}^{\text{ICMA}}(k), \text{Adv}_{A_4}^{\text{PTXT}}(k)).$$

By assumption, the right-hand side of the above equation is negligible, which finishes the proof.

6. Performance Analysis

In this section, we evaluate the performance of our construction and other related non-interactive deniable authentication schemes with provable security [19, 22] in terms of the computational cost. The result is stated in Table 1. Exp denotes an exponentiation operation, which is the most

time-consuming operation used in these schemes. For ease of comparison, we use the signature scheme in [29] which is one-time secure in the standard model to instantiate our construction. Note that the computational cost of a prover in our scheme should take the key generation of one-time signature scheme into consideration.

Table 1. Performance comparison.

Scheme	Prover's computational cost	Verifier's computational cost	Setup assumptions
Wang et al's Scheme [25]	3.5Exp	4.5Exp	The random oracle model
Youn et al's Scheme [1]	2Exp	2.5Exp	The random oracle model
The proposed Scheme	4.5Exp	2.5Exp	The standard model
	1Exp by pre-computation		

In the table, the computational cost of a multi-exponentiation (that is, computing $g^{a^b l^c}$) is assumed to be at most 1.5 exponentiations [30]. Although the scheme [22] is more efficient than others, the efficiency of our construction can be further reduced when the key pair of one-time signature scheme can be pre-computed and stored such that only one exponentiation is needed to compute the shared secret $\nu k = (g^{x_p})^{x_r}$. Such pre-computation technique does not apply to the schemes in [19, 22]. Moreover, our scheme is proven to be secure in the standard model which provides stronger security guarantee than the random oracle model.

7. Conclusion

In this paper, we provide a generic construction for deniable authentication schemes that can be instantiated without bilinear groups. Deniability of our scheme is achieved by the property of the Diffie-Hellman key exchange protocol. In the following, we prove our scheme to be unforgeable in the standard model by sequences of games. In the process of proof, we make use of the notion of integrity of plaintexts with regard to symmetric encryption. Finally we show that the computational cost of our construction can be dramatically reduced by applying pre-computation technique such that the performance of our construction is comparable to the most efficient non-interactive deniable authentication scheme [22] whose security is based on the random oracle model.

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